General Growth Mixture Analysis of Adolescents’ Developmental Trajectories of Anxiety: The Impact of Untested Invariance Assumptions on Substantive Interpretations

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Substantively, this study investigates potential heterogeneity in the developmental trajectories of anxiety in adolescence. Methodologically, this study demonstrates the usefulness of general growth mixture analysis (GGMA) in addressing these issues and illustrates the impact of untested invariance assumptions on substantive interpretations.

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assumptions on substantive interpretations. This study relied on data from the Montreal Adolescent Depression Development Project (MADDP), a 4-year follow-up of more than 1,000 adolescents who completed the Beck Anxiety Inventory each year. GGMA models relying on different invariance assumptions were empirically compared. Each of these models converged on a 5-class solution, but yielded different substantive results. The model with class-varying variance–covariance matrices was retained as providing a better fit to the data. These results showed that although elevated levels of anxiety might fluctuate over time, they clearly do not represent a transient phenomenon. This model was then validated in relation to multiple predictors (mostly related to school violence) and outcomes (grade-point average, school dropout, depression, loneliness, and drug-related problems).

**Keywords**: adolescence, anxiety, growth mixture analysis, invariance, latent class growth analysis

Complex substantive issues often require sophisticated methodologies—this is the essence of substantive-methodological synergies (Marsh & Hau, 2007). Substantively, this study investigates heterogeneity in the developmental trajectories of anxiety in adolescence and evaluates the construct validity of the extracted latent trajectory classes in relation to predictors and outcomes. Methodologically, this study demonstrates the usefulness of general growth mixture analysis (GGMA; B. O. Muthén, 2002; B. O. Muthén & Shedden, 1999) in addressing these issues and illustrates the effects of untested invariance assumptions on substantive interpretations.

**SUBSTANTIVE ISSUES: THE DEVELOPMENT OF ANXIETY IN ADOLESCENCE**

Secondary school years are a critical developmental period for adolescents. During this period, they evolve in a changing social context while coping with puberty. This results in major transformations in how they perceive themselves and interact with others (Eccles et al., 1993; Steinberg & Morris, 2001). Today, there is ample evidence that the secondary school years are marked by transformations that can be stressful and generate anxiety for adolescents (Roesser, Eccles, & Sameroff, 2000). Indeed, anxiety disorders appear to be one of the most prevalent forms of psychopathology in adolescence (Costello, Egger, & Angold, 2005; van Oort, Greaves-Lord, Verhulst, Ormel, & Huizink, 2009). Furthermore, the diagnostic system underpinning most epidemiological studies provides little information regarding symptoms that do not meet diagnostic criteria, but are still associated with functional impairments (Hale, Raaijmakers, Muris, van Hoof, & Meeus, 2008; van Oort et al., 2009). Ultimately, anxiety, especially when it first appears in childhood or adolescence, tends to be associated with increased risks for future problems such as depression, drug abuse, loneliness, low educational achievement, and dropout (Costello et al., 2005; Duchesne, Vitaro, Larose, & Tremblay, 2008; Essau, Conradt, & Petermann, 2002; Woodward & Fergusson, 2001).

Understanding the development of anxiety in community samples of youths is thus central to the comprehension of adolescent development and to the design of prevention or mental health promotion programs intended to facilitate the transition to adulthood (e.g., Feng, Shaw, & Silk, 2001).

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1This study relies on data collected in Quebec (Canada), where children start school around the age of 6 and usually remain in the same elementary school until Grade 6, after which they experience the secondary school transition (close to the age of 12), where they remain for 5 years (Grades 7–11).
However, before investing in programs targeting adolescents at risk for anxiety, it must first be determined whether anxiety is a stable state that hinders normative development or a transient “normative” phenomenon that disappears on its own following the successful negotiation of developmental tasks, as suggested by Hall’s (1904) storm and stress theory of adolescence. In other words, should we directly target anxiety or should we simply help youths successfully negotiate developmental tasks, while tolerating “normative” anxiety? Research results are unclear and vary across studies. Indeed, although they show that previous levels of anxiety predict later levels of anxiety, the observed relationships and rates of recurrence or chronicity remain low (e.g., Bosquet & Egeland, 2006; Essau et al., 2002; Hankin, 2008; Keller et al., 1992; Last, Hansen, & Franco, 1997). The possibility that the stability of anxiety could vary in specific subgroups might reconcile these results.

A promising way of addressing these questions is to search for heterogeneity in the trajectories of anxiety in adolescence. This search generally requires more than two repeated assessments of the same individuals and allows the investigation of the shape and intraindividual stability of these trajectories, as well as of the interindividual variability around the estimated average trajectories. A recent literature review conducted within several databases (Current Contents, Medline, Psychology and Behavioral Science Collection, PsycINFO) revealed only four studies, based on two community samples, that investigated the trajectories of anxiety in adolescence (Crocetti, Klimstra, Keijsers, Hale, & Meeus, 2009; Hale et al., 2008, 2009; van Oort et al., 2009). Three of these did so relying on latent curve modeling (Bollen & Curran, 2006). Latent curve models (LCMs) allow only the estimation of the average trajectory of all individuals, as well as for interindividual variability around this trajectory.

In a longitudinal study of two cohorts of 913 early (10–15 years old) and 379 middle (16–18 years old) adolescents measured five times over 5 years, Hale et al. (2008, 2009) found that levels of generalized anxiety tended to decrease (i.e., negative slope) in early and middle adolescent boys, but to increase (i.e., positive slope) in early adolescent girls. For the other types of anxiety disorders (panic disorder, school anxiety, social phobia), gender differences were still present but not as marked, with girls’ and boys’ symptoms showing decreasing tendencies over time. Moreover, their results show that girls presented generally higher levels of anxiety than boys. These findings confirm those from previous studies showing that gender is an important factor to consider in studies of anxiety in adolescence (e.g., Costello et al., 2005).

In a similar study, van Oort et al. (2009) measured anxiety symptoms three times (biennially) over a 5-year period in a sample of 1,653 early adolescents (10–12 years old). Their results show that anxiety tends to follow a curvilinear trend across adolescence, presenting an initial decrease followed by a slight increase. They also showed that girls presented higher levels of anxiety than boys, but that this difference remained constant throughout adolescence.

These studies revealed significant variations between gender groups, as well as significant interindividual heterogeneity and variability around the estimated trajectories. Although some predictors were included in attempts to explain part of this variability, the possibility remains that unobserved subpopulations (e.g., subgroups of students with increasing, unstable, or persistently low levels of anxiety) were present and responsible for the observed heterogeneity. GGMA (B. O. Muthén, 2002; B. O. Muthén & Shedden, 1999)—a combination of LCMs and latent class or latent profile analyses—was designed to explain developmental heterogeneity by separating a general population into latent classes of individuals presenting qualitatively and quantitatively distinct profiles of change over time (Li, Duncan, Duncan, & Acock, 2001; B. O.
Muthén, 2002). Although GMMA would be particularly helpful in studying the stability and shape of anxiety trajectories in adolescence, only one study did so, using Hale et al.’s (2008, 2009) data set described earlier. In this study, Crocetti et al. (2009) reported the presence of two latent trajectory classes. One was characterized by initially low levels of anxiety that decreased over time (91.3% of the sample, half of which were boys) and another small one was characterized by initially high levels of anxiety that increased over time (8.7% of the sample, less than a third of whom were boys). Given the methodological challenges of GGMA, which are addressed later, and the few studies that investigated anxiety trajectories in community samples of adolescents, generalization of these results is limited. Moreover, three studies were located in which restricted GGMA-like analyses were conducted in samples of children, and these studies converged on three (Côté, Tremblay, Nagin, Zoccolillo, & Vitaro, 2002; Côté et al., 2009) or four (Feng et al., 2008) class solutions, reinforcing the need for replication.

In addition, as mentioned by van Oort et al. (2009), none of these studies investigated the role of psychosocial risk factors other than sociodemographic characteristics on anxiety trajectories. This is surprising because the only way to substantiate a substantive interpretation of latent trajectory classes as reflecting significant subgroups of students is to embark on a process of construct validation (Bauer & Curran, 2004; Marsh, Lüdtke, Trautwein, & Morin, 2009; Morin, Morizot, Boudrias, & Madore, 2011; B. O. Muthén, 2003). In GGMA, investigating the construct validity of latent trajectory classes involves showing that they present meaningful and distinct patterns of associations with theoretically significant covariates (antecedents and outcomes) not directly used in the classification algorithm. In this study, the construct validity of the latent trajectory classes will be investigated in relation to outcomes known to be associated with anxiety (see earlier presentation: depression, loneliness, drug-related problems, educational achievement, school dropout) and to exposure to school violence.

School Violence as a Predictor of Anxiety in Adolescence

Among the various facets of school experiences, exposure to violence can play, through its stressfulness and potential to interrupt unfinished developmental tasks, an important role in the development of anxiety (Card, Stucky, Sawalani, & Little, 2008; Grills & Ollendick, 2002; Hawker & Boulton, 2000; Janosz et al., 2008). Violence is a growing and significant problem in schools around the world with serious implications for students’ mental health and well-being (Due et al., 2005; Nansel et al., 2004; Smith et al., 1999). School violence is a complex phenomenon that encompasses generic feelings of school safety, as well as direct or indirect exposure to “any verbal, physical, psychological or visual manifestation intended to directly or indirectly threaten, harm or control the physical or psychological integrity, rights or property of others within the school setting” (Janosz et al., 2008, p. 602). Exposure to school violence is an unsettling and stressful experience for youths who might, as a result, become psychologically distressed, anxious, and hypervigilant (Gladstone, Parker, & Malhi, 2006; Grills & Ollendick, 2002).

Unfortunately, few studies investigated the relationships between school violence and anxiety (e.g., Card et al., 2008; Gladstone et al., 2006; Grills & Ollendick, 2002; Hawker & Boulton, 2000), and even fewer did so longitudinally (e.g., Janosz et al., 2008; Kennedy, Bybee, Sullivan, & Greeson, 2009; Mrug & Windle, 2010). Thus, although the associations observed between direct (aggression, victimization) and indirect (witnessing) exposure to school violence were
moderate, most results are cross-sectional and fail to consider the full complexity of school violence as well as the developmental trajectories of exposed youths. Results from the few longitudinal studies (Janosz et al., 2008; Kennedy et al., 2009; Mrug & Windle, 2010) showed that, although being a victim of school violence was the strongest predictor of internalizing problems, witnessing school violence as well as generic feelings of insecurity in school significantly added to the prediction. Although some results suggest that students from different backgrounds present different levels of sensitivity to the effects of school violence (Kennedy et al., 2009; Mrug & Windle, 2010), it remains unknown how exposure to school violence might modify the shape of adolescents’ anxiety trajectories.

METHODOLOGICAL ISSUES: THE IMPACT OF UNTESTED INVARIANCE ASSUMPTIONS IN GGMA

GGMA is part of the generalized latent variable modeling framework proposed by B. O. Muthén (2002; also see Skrondal & Rabe-Hesketh, 2004). More specifically, GGMA extends LCMs using a categorical latent variable “to represent a mixture of subpopulations where population membership is not known but must be inferred from the data” (Li et al., 2001, p. 494). Assume a quadratic growth model for the outcome $y_{it}$ where $i$ is the index for individual and $t$ is the index for time. To this model, add $c$, a categorical latent variable with $k$ levels ($k = 1, 2, \ldots, K$) that is estimated from the data, with each individual $i$ having a probability of membership in each of the $k$ levels.

$$y_{it} = \sum_{k=1}^{K} p(c = k)[\alpha_{yk} + \beta_{1yk} \lambda_t + \beta_{2yk} \lambda_t^2 + \varepsilon_{yit}]$$

(1)

$$\alpha_{yk} = \mu_{ayyk} + \zeta_{ayyk}$$

(2)

$$\beta_{1yk} = \mu_{b1yk} + \zeta_{b1yk}$$

(3)

$$\beta_{2yk} = \mu_{b2yk} + \zeta_{b2yk}$$

(4)

The $k$ subscript indicates that most parameters are allowed to vary between the estimated latent trajectory classes and that each latent trajectory class could thus be defined by its own LCM based on independent covariance matrices and mean vectors. More precisely, $\alpha_{yk}$, $\beta_{1yk}$, and $\beta_{2yk}$, respectively, represent the random intercept, random linear slope, and random quadratic slope of the trajectory for individual $i$ in latent trajectory class $k$; $\varepsilon_{yit}$ represents the time-, individual-, and class-specific errors; $\mu_{ayyk}$, $\mu_{b1yk}$, and $\mu_{b2yk}$ represent the average intercept, linear slope, and quadratic slope in latent trajectory class $k$; and $\zeta_{ayyk}$, $\zeta_{b1yk}$, and $\zeta_{b2yk}$ are disturbances reflecting the variability of the estimated intercepts and slopes across cases within latent trajectory classes. These disturbances have a mean of zero and a variance-covariance matrix represented by $\Phi_{yk}$:

$$\Phi_{yk} = \begin{bmatrix}
\psi_{ayyk} \\
\psi_{b1yk} & \psi_{b1yk} \\
\psi_{b2yk} & \psi_{b2yk}
\end{bmatrix}$$

(5)
Errors ($\epsilon_{yikt}$) are generally assumed to have a mean of 0 and to be uncorrelated over time, across cases, or with the other model parameters. Most models assume that all cases have the same error variance for each time period, but allow these errors to vary across periods. Time is indicated by $\lambda_t$, which represents the loadings of the time-specific measurement points on the slope factor and is coded to reflect the intervals between measurement points. For instance, in a model including five measurement points equally spaced, it might be appropriate to estimate the intercepts of linear trajectories at Time 1 $[E(\alpha_{yik}) = \mu_{yk}]$, such that $\lambda_t$ is coded $\lambda_1 = 0$, $\lambda_2 = 1$, $\lambda_3 = 2$, $\lambda_4 = 3$, and $\lambda_5 = 4$ (see Biesanz, Deeb-Sossa, Papadakis, Bollen, & Curran, 2004). As the latent classes are unknown but estimated from the data, GGMA estimates a probability of membership in each latent trajectory class for all individuals, which is reflected in the first part of the equation $\sum_{k=1}^{K} p(c = k)$. These probabilities add up to one for each individual across all classes and unconditionally over all classes. Finally, these models allow the inclusion of predictors of class membership. The predictors can also predict the intercept, slopes, time-specific indicators, and distal outcomes, and these relationships can be freely estimated in each latent trajectory class. As these additional equations are not directly relevant to the methodological issue pursued here, they are not presented (but see B. O. Muthén, 2002, 2004).

In this generic specification of GGMA, the $k$ subscript indicates that most parameters can be allowed to vary across latent trajectory classes (time codes are usually fixed and constrained to equality over groups, although only two of them need to be fixed to 0 and 1, respectively, whereas the remaining ones can be freely estimated; see Ram & Grim, 2007, 2009). However, in practice, fully variant GGMA are seldom estimated, due in part to frequent estimation and convergence problems, as well as to the popularity of simpler, restricted parameterizations. Perhaps the most widely known restricted parameterization of such models comes from Nagin’s (1999, 2010) group-based latent class growth analysis (LCGA) in which the variances of the latent growth factors (intercept and slopes) are constrained to zero, thus eliminating the latent variance-covariance matrix out of the model ($\Phi_{yk} = 0$). In this sense, LCGA is essentially a restricted form of GGMA in which all members of a latent trajectory class are assumed to follow the same trajectory. Nagin (2010, p. 61) described LCGA as an approximation of the distribution “by a finite number of trajectory groups” representing the “point of support” of the distribution. Nagin (2010, p. 64) compared LCGA with LCMs by saying that LCGA “focuses on the identification of different trajectory shapes and on examining how the prevalence of the shape and shape itself relates to predictors. By contrast, standard growth curve modeling focuses on the population mean trajectory and how individual variation about that mean relates to predictors.” GGMA allows the examination of both types of questions because it allows for the estimation of latent trajectory classes marked by different average shapes, while including within-class variability.

LCGAs are arguably the most widely used form of GGMA and were used in the three preceding studies of children’s anxiety trajectories (Côté et al., 2002; Côté et al., 2009; Feng et al., 2008). The reliance on LCGAs, even more than the age difference, could explain the different results obtained in these studies compared with Crocetti et al.’s (2009) study of adolescents. LCGAs have been previously shown to potentially result in the overextraction of latent trajectory classes (e.g., Bauer & Curran, 2004; B. O. Muthén & Muthén, 2000). The few illustrations of this effect to date show that LCGAs yield more classes, some of which differ only quantitatively and are combined when GGMA are applied to the same data (e.g., B. O.
Relying on the defaults of the Mplus software (L. K. Muthén & Muthén, 2008). These defaults specify the $\mu_{\pi_yk}$, $\mu_{\beta_1yk}$, and $\mu_{\beta_2yk}$ parameters as freely estimated in all classes but constrain the latent variance–covariance parameters as well as the time-specific residuals to equality across classes ($\Phi_{yk} = \Phi_y$ and $\epsilon_{yitk} = \epsilon_{yit}$). Although these restrictions are common, simulation studies have shown that similar restrictions could result in the overextraction of latent classes and biased parameter estimates in the context of GGMA and mixture models more generally (Bauer & Curran, 2004; Enders & Tofighi, 2008; Lubke & Muthén, 2007; Lubke & Neale, 2006, 2008; Magidson & Vermunt, 2004).

Unfortunately, the adequacy of these restricted parameterizations is seldom verified. At least in the research reviewed here, none of the authors justified the restricted parameterization they relied on, nor did they empirically test these restrictions in relation to the fit of the model. This is important, as these restrictions might substantively change the results. It is also worrisome, as these comparisons are simple to execute on the basis of the various information criteria routinely used to compare the fit of alternative models with varying numbers of latent classes. In addition, although classical likelihood ratio tests (LRTs) cannot be used to compare models with different numbers of classes, they can be used to compare models with the same number of classes but different specifications to complement the information criteria comparisons (Bauer & Curran, 2004; Eid, Langeheine, & Diener, 2003; Li et al., 2001; Petras & Masyn, 2010). We argue that these restrictions are testable invariance assumptions (Eid et al., 2003; Meredith, 1993) rather than distinct models designed to answer different questions.

Methodologically, this study is designed to illustrate the effects of relying on such untested invariance assumptions on substantive interpretations. Apparently, many applied researchers fail to verify the adequacy of these assumptions based on the dubious belief that the resulting “statistical” biases will remain small, or that the unnecessary additional classes will in fact represent only quantitative variations of the “real” classes. When the objective of the research is to come up with a reasonable approximation of reality rather than a picture that is exact to three decimal spaces, as is usually the case in applied psychological or social science, these apparently slight biases might appear tolerable. We illustrate that failing to verify the adequacy of these invariance assumptions can be far more problematic. It should be noted that although additional misspecifications, such as assuming linear trajectories (Bauer & Curran, 2004; Voelkle, 2008) or class-invariant covariate effects (Petras & Masyn, 2010), were also reported to result in biased estimates, the effects of these misspecifications are not illustrated here. Indeed, in the first case, preceding results (van Oort et al., 2009) provide ample justification for including curvilinear trends in the models. In the second case, the strategy pursued in this study is specifically designed to illustrate how the invariance of covariate effects can be systematically investigated. However, only the best-fitting model will be interpreted.

**THIS STUDY**

This study relies on GGMA to investigate heterogeneity in the developmental trajectories of anxiety in adolescence and illustrates the effects of untested invariance assumptions on substantive interpretations. In addition, the construct validity of the extracted latent trajectory classes is investigated by verifying their associations with predictors and outcomes.
METHOD

Participants

The Montreal Adolescent Depression Development Project (MADDP; Morin, Janosz, & Larivée, 2009) is a 4-year prospective longitudinal study of more than 1,000 adolescents evaluated six times over this period. This project was initially designed as a 1-year follow-up study, with three measurement points. All seventh-grade students from five Montreal-area secondary schools were asked to participate in the project in September 2000, right after the secondary school transition. Parents of the 1,553 eligible participants were informed of the project through a letter accompanied by a consent form describing the first three measurement points: September/October 2000 (Time 1), February 2001 (Time 2; anxiety was not measured at Time 2) and May/June 2001 (Time 3). Only 10 parents refused to let their child participate. The remaining 1,543 students were asked to sign a consent form. A total of 1,370 agreed to participate (66 refused) and completed Time 1 measures (104 were sick or absent, or could not be reached and thus could not consent) and at least one of the remaining two measurement points. Only 3 others were lost due to chronic absenteeism during the first year.

These 1,370 participants were then contacted during their second year of secondary school (eighth grade: 2001–2002) to participate in a longer term follow-up including 3 additional years, with one measurement period per year (Time 4, 5, and 6, with Time 4 being close to 1 year after Time 3). Of those participants, 1,034 were included in the longer term follow-up study: (a) 58 refused to sign the consent form in Year 2; (b) 142 were absent or had changed schools and were impossible to locate during Year 2; and (c) 136 were excluded due to parental refusal. Of those, 1,011 were included in this study. The remaining 23 failed to complete at least three (out of five) valid measurements of anxiety. This sample was predominantly of a French-Canadian Caucasian background (79.07%) and almost equally split across genders (53.71% male). At Time 1, the mean age of the participants was 12.66 years ($SD = 0.69$). Of these students, 48.86% attended public schools, 30.37% attended private schools, and 20.77% attended a public school for gifted students.

Attrition analyses were conducted to compare the present sample to the 1,370 students who were part of the Year 1 initial follow-up. These analyses revealed that compared with the participants, the lost students were a little older, $t(1,060) = 2.49$, $p \leq .05$, and slightly more likely to come from public schools, $\chi^2(2) = 21.77$, $p \leq .01$, and more unstable families, $t(1,365) = 2.930$, $p = .01$. They also presented higher levels of behavioral disorders in the year preceding the study, $t(1,274) = 2.847$, $p \leq .01$, and in the first year of the study, $t(1,282) = 3.508$, $p \leq .01$. However, they did not differ in terms of gender, $\chi^2(1) = 0.01$, $p \geq .01$; nationality, $\chi^2(9) = 11.29$, $p \geq .01$; anxiety at the beginning, $t(1,367) = 1.172$, $p \geq .01$; or at the end of the first year of the study, $t(1,284) = 2.124$, $p \geq .01$; victimization, $t(1,261) = 1.477$, $p \geq .01$; witnessing school violence, $t(1,273) = 0.569$, $p \geq .01$; or feelings of security, $t(1,268) = -2.395$, $p \geq .01$.

Measures

**Demographic variables.** We obtained participants’ genders ($0 = \text{male}$, $1 = \text{female}$) and ages from school records. Parents’ education levels and an index of family instability were
added to the list of predictors to estimate the impact of school violence over students’ background characteristics. Parental education levels were assessed through a parental questionnaire, and the mother’s and father’s education levels were averaged to provide a global indicator. Missing data were imputed with answers from adolescents’ reports of their parents’ education. Family instability was measured at Time 1 with a five-item index of the instability level of the participants’ family life in the year preceding the study (parental separation, remarriage, death, moving) inspired by similar measures by Le Blanc (1998).

**Anxiety.** Anxiety was assessed with the French adaptation (Freeston, Ladouceur, Thibodeau, Gagnon, & Rheaume, 1994) of the Beck Anxiety Inventory (Beck & Steer, 1993a) at Times 1, 3, 4, 5, and 6 ($\alpha = .88-.91$). This 21-item questionnaire measures the presence and intensity of anxiety symptoms (e.g., “nervous,” “difficulty breathing”), which are rated on a 4-point scale (from *not at all* to *severely*) according to how much participants were bothered by them during the past week.

**School violence.** School violence was assessed with multiple indicators. Students’ *victimization* at school was assessed at Time 2 with a 14-item index ($\alpha = .83$) from the School Socioeducational Environment Questionnaire (SEQ), validated in a sample of more than 70,000 adolescents from 159 secondary schools (Janosz & Bouthiller, 2007). These items are rated on a 5-point frequency scale (from *never* to *four times or more*; e.g., “Since the beginning of the school year”: “Students physically attacked you,” “students insulted or humiliated you”). Students’ *witnessing* of school violence was assessed at Time 2 with a 10-item index ($\alpha = .83$) also taken from the SEQ. Students were asked to indicate on a 5-point scale (from *never* to *almost every day*), while ignoring rumors, “Since the beginning of the school year, how often have you observed or have you been informed of the following problems at your school?” Choices included “threats among students (blackmail, harassment, etc.),” “fights among students (not rough playing),” and so on. Students’ *feelings of (in)security* at school were evaluated at Time 2 with a five-item scale ($\alpha = .80$) from the SEQ. Students’ agreement with statements such as “There is a risk of being assaulted in this school” and “There are areas in this school where students are afraid to go” was rated on a 4-point scale ranging from *totally disagree* to *totally agree*. Students’ levels of *externalizing behaviors* were assessed with 19 items from Le Blanc’s (1998) Measures of Quebec Adolescents’ Social and Personal Adjustment, an instrument that was validated on a representative sample of the Quebec adolescent population. Items assessing the frequency of behavioral deviance (e.g., “Used hashish or marijuana,” “skipped school”) and criminal delinquency, as represented by theft (e.g., “Stole something worth between $10 and $100”) and aggressions (e.g., “Carry a weapon”), were retained. These items are retrospective and students were asked how often (on a 4-point frequency scale ranging from *never* to *very often*) they committed the listed acts during the previous year (Time 1; $\alpha = .88$) or since the beginning of the school year (Time 3; $\alpha = .88$).

**Developmental outcomes.** Adolescents’ GPAs 1 year after the end of the study and school dropout within 1 year of the expected graduation date (i.e., generally 2 years after the end of the study) were obtained from the Quebec Ministry of Education records. Participants’ levels of depression and loneliness were assessed during the last year of the study using, respectively, the 21-item ($\alpha = .92$) French version (Gauthier, Morin, Theriault, & Lawson,
1982) of the Beck Depression Inventory (Beck & Steer, 1993b) and five items (α = .80) from the French adaptation (Vitaro, Pelletier, Gagnon, & Baron, 1995) of the Asher, Hymel, and Renshaw (1984) questionnaire. The Beck Depression Inventory includes 21 items rated on a behaviorally anchored rating scale ranging from 0 (absence of symptoms) to 3 (severe symptom) to assess symptom severity during the past week including today. The items retained to assess loneliness (e.g., “I feel lonely at school,” and “I don’t have any friends at school”) were those with the highest loadings in Asher et al.’s (1984) study and were rated on a 4-point scale ranging from not true to very true. The presence of social and personal problems emerging from drug abuse was evaluated with nine items (α = .93) developed specifically for the MADDP on the basis of (a) Zoccolillo, Vitaro, and Tremblay’s (1999) adaptation of Ewing’s (1984) CAGE questionnaire for drug-related problems, and (b) the items used in the Epidemiological Catchment Area Study to assess the social consequences of drug abuse (Robins & Regier, 1991). These items are rated on a combination of yes-no answer scales (e.g., “Were you ever drugged at school?” “Did you ever feel bad or guilty about your drug use?”) and of behaviorally anchored answer scales (e.g., “In which circumstances do you most often use drugs: never, alone, with friends at school, with friends out of school”).

### Analyses

In this study, quadratic models with one to seven latent trajectory classes of anxiety were estimated according to three distinct parameterizations: 2 (a) LCGA (Φ_{yk} = 0); (b) Mplus defaults (GGMA-MD; Φ_{yk} = Φ_{y}); and (c) a GGMA model with freely estimated latent variance-covariance matrices in all classes (GGMA-LV; Φ_{yk}). In all models, the latent variable means were freely estimated in all classes (μ_{ayk}, μ_{bij}, and μ_{bj2yk}) and the time-specific errors were constrained to invariance across classes (ε{eq}_{yikt} = ε{eq}_{yit}). Models in which all parameters (μ_{ayk}, μ_{bij}, μ_{bj2yk}, Φ_{yk}, and ε{eq}_{yikt}) were freely estimated in all classes were also specified (Enders & Tofghi, 2008). Unfortunately, these models either did not converge or converged on improper or unacceptable solutions (negative variance estimates, nonpositive definite Fisher information matrix, empty or very small classes, etc.) and on nonreplicated log likelihood (even after multiple attempts involving multiple starts, user-defined starts, etc.). This suggests that those models, which might have been overparameterized, are inadequate and that more parsimonious models might be more appropriate (e.g., Henson, Reise, & Kim, 2007; Nylund, Asparouhov, & Muthén, 2007; Tolvanen, 2007). It should be noted that for the GGMA-MD and GGMA-LV models to converge on proper solutions, the variability of the quadratic slope parameter had to be fixed to 0 (ε{eq}_{y2yk} = 0, thus Ψ{eq}_{y22yk} = 0, Ψ{eq}_{b12yk} = 0, and Ψ{eq}_{b22yk} = 0). The growth parameters’ variance–covariance also had to be fixed to 0 in the lowest class of the GGMA-LV models (Φ_{yk=low} = 0), which is consistent with the presence of a stable, nonanxious latent class. Because anxiety symptoms were assessed five times at 1-year intervals,

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2Models were estimated with manifest time-specific indicators, as is common in GGMA. Still, longitudinal models based on manifest indicators could present problems, as they rely on the (often-untested) assumption of strict longitudinal measurement invariance and might confound unstable reliability with stability or instability of the construct (Marsh, Muthén, et al., 2009; Meredith, 1993). Preliminary analyses confirmed that this assumption was reasonably met in this study.
the time codes used in this study are \(-1, 0, 1, 2, 3\). The decision to estimate the intercept of the latent trajectories at the second measurement point is consistent with the fact that Time 1 was conceptualized as the MADDP baseline control measurement point and most predictors were assessed at Time 2 (thus allowing for temporal ordering of the predictors with the intercept of the predicted trajectories).

The analyses reported in this study were performed using *Mplus* 5.1 (unconditional models) and *Mplus* 6 (models with predictors and outcomes; L. K. Muthén & Muthén, 2008). *Mplus* relies on the robust maximum likelihood estimator (MLR) to estimate GGMA model parameters (B. O. Muthén & Shedden, 1999). Full-information MLR was used to account for the remaining missingness on the anxiety indicators (Little & Rubin, 2002). An important challenge in GGMA is avoiding converging on a local solution (i.e., false maximum likelihood), a problem that might stem from inadequate start values. It is thus recommended to use multiple random sets of start values (Hipp & Bauer, 2006; McLachlan & Peel, 2000), an issue that was apparently disregarded in the previous LCGA and GGMA studies of anxiety trajectories. In this study, 1,000 random sets of start values were requested for each model, with the 100 best retained for final optimization. All models converged on a replicated solution and can confidently be assumed to reflect a “real” maximum likelihood.

Another challenge in GGMA is determining the number of latent classes in the data. One important set of criteria used to guide this decision is related to the substantive meaning and theoretical conformity of the extracted classes (Bauer & Curran, 2003; Marsh, Lüdtke, et al., 2009; B. O. Muthén, 2003), as well as to the statistical adequacy of the solution (Bauer & Curran, 2003). A number of statistical tests and indexes are available to help in this decision process. Recent simulation studies indicate that four of these various tests and indicators are particularly effective in choosing the model that best recovers the sample’s true parameters in GGMA (Nylund et al., 2007; Tofghi & Enders, 2008; Tolvanen, 2007) and other forms of mixture models (Henson et al., 2007; McLachlan & Peel, 2000; Yang, 2006). They are (a) the Consistent Akaike Information Criterion (CAIC; Bozdogan, 1987), (b) the Bayesian Information Criterion (BIC; Schwartz, 1978), (c) the sample-size adjusted BIC (ABIC; Sclove, 1987), and (d) the Bootstrap Likelihood Ratio Test (BLRT; McLachlan & Peel, 2000). Additional studies indicate that the ABIC and the Akaike Information Criterion (AIC; Akaike, 1987) are also effective in comparing models relying on different within-class specification or invariance assumptions (Lubke & Neale, 2006, 2008). In line with these results, these indicators (AIC, CAIC, BIC, ABIC, BLRT) are reported. A lower value on the AIC, CAIC, BIC, and ABIC suggests a better fitting model. The BLRT is a parametric LRT obtained through resampling methods (100 bootstrap samples were drawn for each model) that compares a \(k\)-class model with a \(k - 1\)-class model. A significant \(p\) value indicates that the \(k - 1\) class model should be rejected in favor of a \(k\)-class model. As a complement, Petras and Masyn (2010) suggested graphically presenting information criteria through “elbow plots” illustrating

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3When participants differ in age, relying on uniform time codes versus individual-specific codes might result in estimation bias (Metha & West, 2000). In this study, this limitation is partly offset because all participants are quite close in age and of the same grade level. Moreover, uniform time coding could still be appropriate when (Metha & West, 2000) (a) the regression of the intercept of the LCM on participants’ age at Time 1 is equal to the slope factor, and (b) the regression of the slope on age at Time 1 is equal to zero. Both conditions were reasonably met in this study.
the gains associated with the addition of latent classes. In these plots, the point of formation of a first angle indicates the optimal number of classes in the data. Finally, the entropy indicates the precision with which the cases are classified into the various extracted latent classes. Although entropy should not be used to determine the model with the optimal number of classes (Lubke & Muthén, 2007), it provides a summary of classification accuracy. Entropy varies from 0 to 1, with values closer to 1 indicating less classification errors.

Once the final unconditional model was chosen, predictors were incorporated into this model (Clark & Muthén, 2010; Petras & Masyn, 2010). As Mplus does not allow for missing data on exogenous predictors, they were imputed with the Expectation Maximization (EM) algorithm from SPSS 15.0 “missing values” (Little & Rubin, 2002). Imputed estimates were conditional on all predictors used in the study. Given the low levels of missing data (0%–7.22%, $M = 3.61\%$, $SD = 3.03\%$), multiple imputation was not deemed necessary (Graham, 2009). A baseline conditional model was first estimated in which predictors were allowed to predict class membership through a multinomial logistic regression. Then, additional models were tested in which predictors were allowed to influence the trajectory factors one at a time, and in which these effects were progressively allowed to vary across classes. These models were compared on the basis of the information criteria and of LRTs.4

Direct inclusion of the predictors in the model is known to result in a more precise estimation of their effects (Bolck, Croon, & Hagenaars, 2004; Clark & Muthén, 2010) and in more accurate classifications (Lubke & Muthén, 2007). However, the substantive interpretation of the latent classes should remain qualitatively similar by omission of the predictors and should not change following their inclusion into the model (Marsh, Lüdtke, et al., 2009; Morin et al., 2011). Observing such changes would indicate that the nature of the latent classes does in fact depend on the choice of the predictors, which is not supposed to happen (Marsh, Lüdtke, et al., 2009; also see Anderson & Gerbing, 1988). More precisely, the inclusion of predictors directly in a GGMA model is based on the assumption that the causal ordering is from the predictors to the latent classes, and Marsh, Lüdtke, et al. (2009) argued that qualitative changes in the latent classes following the inclusion of predictors might indicate a violation of this assumption. No such changes occurred in this study after the predictors were included.

Conversely, outcomes were not incorporated directly into the model, as doing so would involve including them as mixture indicators, thus allowing them to influence the nature of the latent classes (Petras & Masyn, 2010). Because as many outcomes as time-specific trajectory indicators were considered and these outcomes were used to validate the profiles rather than define them, we relied on the Mplus AUXILIARY (e) function to compare probability-based latent classes on the outcomes. This method allows us to consider the probability that each individual has of being a member of all classes rather than assigning individuals to their most likely class membership, as is commonly done in biased multiple-step procedures (Bolck et al.,

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4Classical LRTs cannot be used to compare GGMA models with differing numbers of classes. However, they can be used to compare models based on the same variables and number of latent classes, differing on the pattern of free versus constrained parameters (e.g., Petras & Masyn, 2010). LRTs are computed as minus twice the difference in the log likelihood of the nested models and are interpreted as chi-square with degrees of freedom equal to the difference in free parameters between both models. As this study relied on MLR, the LRT needs to be divided by its scaling correction composite, $cd$, where $cd = (p0 * c0 - p1 * c1)/(p0 - p1)$; (b) $p0$ and $p1$ are the number of free parameters in the nested and comparison models; and (c) $c0$ and $c1$ are the scaling correction factors for the nested and comparison models (L. K. Muthén & Muthén, 2008; Satorra & Bentler, 1999).
The Auxilary (e) function relies on a Wald chi-square test based on random pseudo-class draws and tests the equality of outcome means across latent classes (see Asparouhov & Muthén, 2007; Wang, Brown, & Bandeen-Roche, 2005).

RESULTS

Unconditional Models

The fit indexes for the LCGA, GGMA-MD, and GGMA-LV models are reported in Table 1. When the recommended AIC and ABIC from models with similar numbers of classes are compared, the results clearly show that the GGMA-LV parameterization is superior to the more restricted alternatives (the results from unreported LRTs, as well as the CAIC and BIC, also confirm this interpretation). However, the results show that information criteria continue improving when latent classes are added for each of the parameterizations considered separately. This is not surprising given the large sample size and sample size dependency of these indicators. Indeed, for real data based on a large-enough sample size, the information criteria will always choose the most complex and, ultimately, the saturated model, as in this investigation (Marsh, Hau, & Grayson, 2005; Marsh, Hau, & Wen, 2004; Marsh, Lüdtke, et al., 2009). Therefore, it has been recommended not to use goodness-of-fit indexes according to absolute “golden rules,” but to rely on a theoretically grounded subjective evaluation of models based on parameter estimates, as well as to inspect these parameters for statistical conformity (Bauer & Curran, 2003; Marsh, Lüdtke, et al., 2009; B. O. Muthén, 2003). Examining the statistical conformity of the models proved helpful and revealed that all models including six or more latent trajectory classes resulted in the extraction of at least one very small class including less than 1% of the students (n ≤ 10) and parameter estimates that were hard to interpret. This clearly argues against these models and confirms that their apparently better fit might simply be related to the sample size dependency of information criteria (Marsh, Lüdtke, et al., 2009). However, all of the remaining models proved substantively interpretable. Thus, without clear a priori assumptions, we followed Petras and Masyn’s (2010) suggestion to rely on elbow plots. As an example, the elbow plot for the GGMA-LV model, which clearly suggests a five-class solution, is reported in Figure 1. The elbow plots for the LCGA and GGMA-MD also converged on a five-class solution. This result is interesting and goes against the common belief that when the fit of restricted models (LCGA or GGMA-MD) is less than the fit of less restricted models (GGMA-LV), they will tend to result in the overextraction of latent trajectory classes as a way to compensate for unmodeled within-class heterogeneity. The results show that this is not necessarily the case. Rather, retaining a model based on erroneous untested invariance assumptions could result in radically different solutions.

The five-class LCGA, GGMA-MD, and GGMA-LV solutions are graphically presented in Figures 2, 3, and 4 and present important substantive differences. The LCGA results suggest that the majority of students (73.5%) present a trajectory characterized by a persistently very low level of anxiety over the secondary school years. Two additional latent trajectory classes are characterized by consistently moderately elevated (16.7%) and highly elevated (2.3%) levels of anxiety, leading to the conclusion that anxiety (or the absence thereof) is a highly stable phenomenon, at least in 92.5% of the students. The remaining two latent trajectory classes
<table>
<thead>
<tr>
<th>Model</th>
<th>LL</th>
<th>#fp</th>
<th>SF</th>
<th>AIC</th>
<th>CAIC</th>
<th>BIC</th>
<th>ABIC</th>
<th>Entropy</th>
<th>BLRT</th>
</tr>
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<tbody>
<tr>
<td><strong>LCGA</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
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<tr>
<td>1 class</td>
<td>-16,544</td>
<td>8</td>
<td>2.844</td>
<td>33,105</td>
<td>33,152</td>
<td>33,144</td>
<td>33,119</td>
<td>NA</td>
<td>NA</td>
</tr>
<tr>
<td>2 class</td>
<td>-15,987</td>
<td>12</td>
<td>3.039</td>
<td>32,999</td>
<td>32,070</td>
<td>32,058</td>
<td>32,020</td>
<td>0.881</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>3 class</td>
<td>-15,859</td>
<td>16</td>
<td>3.600</td>
<td>31,750</td>
<td>31,844</td>
<td>31,828</td>
<td>31,778</td>
<td>0.883</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>4 class</td>
<td>-15,761</td>
<td>20</td>
<td>3.638</td>
<td>31,563</td>
<td>31,681</td>
<td>31,661</td>
<td>31,598</td>
<td>0.887</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>5 class</td>
<td>-15,682</td>
<td>24</td>
<td>3.054</td>
<td>31,413</td>
<td>31,555</td>
<td>31,531</td>
<td>31,454</td>
<td>0.900</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>6 class</td>
<td>-15,632</td>
<td>28</td>
<td>2.836</td>
<td>31,320</td>
<td>31,486</td>
<td>31,458</td>
<td>31,369</td>
<td>0.911</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>7 class</td>
<td>-15,569</td>
<td>32</td>
<td>2.356</td>
<td>31,202</td>
<td>31,391</td>
<td>31,359</td>
<td>31,258</td>
<td>0.909</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td><strong>GGMA-MD</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>1 class</td>
<td>-16000</td>
<td>11</td>
<td>3.225</td>
<td>32,021</td>
<td>32,086</td>
<td>32,075</td>
<td>32,040</td>
<td>NA</td>
<td>NA</td>
</tr>
<tr>
<td>2 class</td>
<td>-15,864</td>
<td>15</td>
<td>3.267</td>
<td>31,758</td>
<td>31,847</td>
<td>31,832</td>
<td>31,784</td>
<td>0.897</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>3 class</td>
<td>-15,763</td>
<td>19</td>
<td>2.510</td>
<td>31,563</td>
<td>31,676</td>
<td>31,657</td>
<td>31,597</td>
<td>0.925</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>4 class</td>
<td>-15,678</td>
<td>23</td>
<td>2.284</td>
<td>31,347</td>
<td>31,436</td>
<td>31,421</td>
<td>31,373</td>
<td>0.722</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>5 class</td>
<td>-15,607</td>
<td>27</td>
<td>2.198</td>
<td>31,048</td>
<td>31,179</td>
<td>31,157</td>
<td>31,087</td>
<td>0.740</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>6 class</td>
<td>-15,549</td>
<td>31</td>
<td>2.198</td>
<td>31,160</td>
<td>31,343</td>
<td>31,312</td>
<td>31,214</td>
<td>0.791</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>7 class</td>
<td>-15,512</td>
<td>35</td>
<td>2.066</td>
<td>31,094</td>
<td>31,301</td>
<td>31,266</td>
<td>31,155</td>
<td>0.794</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td><strong>GGMA-LV</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
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<td>11</td>
<td>3.225</td>
<td>32,021</td>
<td>32,086</td>
<td>32,075</td>
<td>32,040</td>
<td>NA</td>
<td>NA</td>
</tr>
<tr>
<td>2 class</td>
<td>-15,659</td>
<td>15</td>
<td>2.284</td>
<td>31,347</td>
<td>31,436</td>
<td>31,421</td>
<td>31,373</td>
<td>0.722</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>3 class</td>
<td>-15,502</td>
<td>19</td>
<td>2.198</td>
<td>31,048</td>
<td>31,179</td>
<td>31,157</td>
<td>31,087</td>
<td>0.740</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>4 class</td>
<td>-15,366</td>
<td>23</td>
<td>1.919</td>
<td>30,790</td>
<td>30,962</td>
<td>30,932</td>
<td>30,840</td>
<td>0.757</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>5 class</td>
<td>-15,261</td>
<td>29</td>
<td>1.756</td>
<td>30,594</td>
<td>30,807</td>
<td>30,771</td>
<td>30,657</td>
<td>0.786</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>6 class</td>
<td>-15,212</td>
<td>32</td>
<td>1.531</td>
<td>30,510</td>
<td>30,764</td>
<td>30,721</td>
<td>30,585</td>
<td>0.801</td>
<td>&lt; 0.001</td>
</tr>
<tr>
<td>7 class</td>
<td>-15,172</td>
<td>47</td>
<td>1.343</td>
<td>30,438</td>
<td>30,717</td>
<td>30,670</td>
<td>30,520</td>
<td>0.802</td>
<td>&lt; 0.001</td>
</tr>
</tbody>
</table>

5-class GGMA-LV model with predictors

1. P → C
   -15,159 68 1.487 30,855 30,453 30,788 30,572 0.794 NA
2. P → C and I (INV.)
   -15,145 76 1.416 30,891 30,441 30,815 30,574 0.791 NA
3. P → C, I–S (INV.)
   -15,135 84 1.376 30,935 30,438 30,851 30,585 0.797 NA
4. P → C, I–S–Q (INV.)
   -15,092 92 1.289 30,912 30,367 30,820 30,528 0.808 NA
5. P → C and I (VAR.)
   -15,098 108 1.362 31,052 30,413 30,944 30,601 0.792 NA

Note. LGCA = latent class growth analysis; GGMA-MD = general growth mixture analysis, Mplus defaults; GGMA-LV = general growth mixture analysis latent variance; LL = Model log likelihood; #fp = number of free parameters; SF = scaling factor of the robust maximum likelihood estimator; AIC = Akaike Information Criterion; CAIC = Consistent AIC; BIC = Bayesian Information Criterion; ABIC = sample-size adjusted BIC; LMR = Lo-Mendel and Rubin’s Likelihood Ratio Test; BLRT = Bootstrap Likelihood Ratio Test; P → C = the predictors were allowed to influence membership into the latent classes; I = intercept of the latent trajectories; S = linear slope of the latent trajectories; Q = quadratic slope of the latent trajectories; INV. = prediction invariant across latent classes; VAR. = prediction allowed to vary across latent classes.

In contrast, results from the GGMA-MD solution suggest that anxiety symptoms might represent a transient phenomenon among adolescents, including classes of students presenting (a) initially high and rapidly decreasing levels of anxiety (2.5%); (b) initially moderate and decreasing anxiety symptoms (14.0%); (c) initially low anxiety symptoms that rapidly increase near the end of the study (2.7%); and (d) initially low levels of anxiety that rapidly increase to peak at the midpoint of the study period and decrease back to normal levels at the end (3.9%). The remaining class, once again, includes a majority of students (76.8%) who present a time-dependent profile characterized by increasing (2.9%) or decreasing (4.7%) levels of anxiety over the study period.
FIGURE 1  Elbow plot of the Consistent Akaike Information Criterion (CAIC), Bayesian Information Criterion (BIC), and adjusted BIC (ABIC) indicators for the general growth mixture analysis with freely estimated latent variance-covariance matrices in all classes.

FIGURE 2  Developmental trajectories estimated from the 5-class latent class growth analysis model.
a trajectory characterized by consistently very low levels of anxiety over the secondary school years.

Finally, results from the GGMA-LV solution revealed that anxiety symptoms tend to present a profile that remains mostly steady over time, although high levels of anxiety can also present an elevated level of variability over time. The parameter estimates from this model are reported in Table 2, where variance estimates were converted to standard deviation equivalents by taking their square roots to ease their interpretation. These results revealed three latent trajectory classes presenting constant levels of anxiety over time and respectively characterized by a complete absence of anxiety (19.9%), a persistently low level of anxiety (39.7%), and a continually high level of anxiety (30.0%). Although these trajectory classes present significant linear and quadratic slopes, these estimates remain low and mostly serve to characterize within-class variability. Finally, the remaining two latent trajectory classes present anxiety levels that remain very high over the course of the study, while also presenting important curvilinear trends. In one of these classes, the anxiety level appears to peak during secondary school years and to reach a lower, yet still elevated, level of anxiety near the periods of transition located at the beginning and end of the study (4.9%). Conversely, students from the remaining class present anxiety levels that peak near the school transitions and reach lower, yet still elevated levels of anxiety during the secondary school years (5.4%).

These results provide a very different picture of anxiety in adolescence. It is true that the three solutions graphically present some similarities. For instance, the LCGA and GGMA-LV
FIGURE 4  Developmental trajectories estimated from the 5-class general growth mixture analysis with freely estimated latent variance-covariance matrices in all classes.

TABLE 2  Results from the Final Unconditional 5-Class GGMA-LV Model

<table>
<thead>
<tr>
<th>Parameter</th>
<th>C1 (No Anxiety)</th>
<th>C2 (High, School-Related)</th>
<th>C3 (High, Stable)</th>
<th>C4 (High, Transition-Related)</th>
<th>C5 (Low, Stable)</th>
</tr>
</thead>
<tbody>
<tr>
<td>µ_{1y1k}</td>
<td>2.31 (11.16)**</td>
<td>21.18 (9.87)**</td>
<td>10.29 (17.63)**</td>
<td>15.27 (10.58)**</td>
<td>5.56 (15.01)**</td>
</tr>
<tr>
<td>µ_{2y2k}</td>
<td>0.93 (6.84)**</td>
<td>8.24 (5.91)**</td>
<td>-1.62 (-3.67)**</td>
<td>-8.76 (-8.55)**</td>
<td>0.51 (2.35)*</td>
</tr>
<tr>
<td>µ_{2y2k}</td>
<td>-0.49 (-6.27)**</td>
<td>-3.82 (-5.36)**</td>
<td>0.56 (3.85)**</td>
<td>3.86 (8.61)**</td>
<td>-0.32 (-4.14)**</td>
</tr>
<tr>
<td>√(ψ_{1y1k})</td>
<td>0.00 (NA)</td>
<td>6.53 (5.41)**</td>
<td>5.30 (9.51)**</td>
<td>8.90 (6.42)**</td>
<td>2.21 (8.02)**</td>
</tr>
<tr>
<td>√(ψ_{1y3k})</td>
<td>0.00 (NA)</td>
<td>3.28 (1.96)*</td>
<td>3.01 (8.45)**</td>
<td>6.34 (4.86)**</td>
<td>1.27 (6.58)**</td>
</tr>
<tr>
<td>√(ψ_{1y4k})</td>
<td>0.00 (NA)</td>
<td>0.00 (NA)</td>
<td>0.00 (NA)</td>
<td>0.00 (NA)</td>
<td>0.00 (NA)</td>
</tr>
<tr>
<td>r(ψ_{1y1y1})</td>
<td>0.00 (NA)</td>
<td>0.31 (-1.42)</td>
<td>-0.60 (-12.69)**</td>
<td>-0.59 (-6.40)**</td>
<td>-0.67 (-10.96)**</td>
</tr>
<tr>
<td>r_{y12}</td>
<td>1.05 (3.73)**</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>r_{y13}</td>
<td>7.43 (10.22)**</td>
<td>—</td>
<td>—</td>
<td>—</td>
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</tr>
<tr>
<td>r_{y14}</td>
<td>5.30 (8.09)**</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>r_{y15}</td>
<td>5.84 (8.82)**</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
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<tr>
<td>r_{y23}</td>
<td>0.92 (1.25)</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
</tbody>
</table>

Note. GGMA-LV = general growth mixture analysis with freely estimated latent variance-covariance matrices in all classes; C1–C5: latent trajectory Classes 1 to 5; t = estimate/standard error of the estimate (t values are computed from original variance estimate and not from their square roots); — = parameter specified as invariant; r = correlation; other terms defined as in formulas 1–5.

* p ≤ .05, ** p ≤ .01.
models show that anxiety is generally not a transient phenomenon, although in the LCGA, two small classes present only temporarily elevated levels of anxiety. Similarly, the GGMA-MD model also presents similarities with both the LCGA (Classes 2 and 4) and the GGMA-LV (Class 3) models. However, the GGMA-LV model also presents some specificity that goes beyond the previous descriptions. For instance, the GGMA-LV model reveals that what both the LCGA and GGMA-MD models described as a single latent trajectory class presenting persistently low levels of anxiety and including over 75% of the students could be better represented as two distinct latent trajectory classes: one including students who never showed any sign of anxiety and another including students who constantly present very low levels of anxiety. These two classes include close to 60% of the sample, which is less than the 75% estimate from the LCGA and GGMA-MD models. Similarly, the GGMA-LV model reveals that almost a third of the study participants present persistently moderate levels of anxiety over the study period, showing that anxiety symptoms are indeed highly prevalent and do not represent a transient phenomenon. The two remaining classes form mirror images of each other, and each include about 5% of the students. In both of these classes, anxiety levels remain high over the course of the study and apparently show a great deal of reactivity to unmeasured external events: secondary school years in one case and school transitions in the other case. These two classes are hereafter referred to as showing school-related and transition-related anxiety. Overall, in the GGMA-LV model, 40% of the students present elevated levels of anxiety over the secondary school years, contrasting with the 25% estimate from the LCGA and GGMA-MD models. Similarly, perhaps the most significant difference between the LCGA and GGMA-MD and the GGMA-LV is related to the more even distribution of students in the latent classes. If meaningfully associated with covariates, this more even distribution would allow the design of interventions targeting more substantial segments of the population. This is interesting given the high cost of programs aimed at highly specific segments of the population.

As previously indicated, all of the available information supports the superiority of the GGMA-LV model, which was retained as the final unconditional model in this study. Detailed results from the other models were presented only to illustrate the impact of relying on untested invariance assumptions and should not be interpreted as showing the instability of GGMA solutions. Indeed, all of the models tested here proved statistically stable and converged on properly replicated solutions. It should be noted that if the three- or four-class models had been retained instead of the five-class model, the substantive differences among the three parameterizations would have been similar.

Predictors of the Latent Trajectory Classes

The preceding results showed that the GGMA-LV presented a better fit to the data and an apparently more elegant solution than the more restricted LCGA and GGMA-MD. However, the only way to ensure that the extracted latent classes reflect significant subgroups of students is to evaluate their construct validity in relation to theoretically meaningful covariates (Bauer & Curran, 2004; Marsh, Lüdtke, et al., 2009; Morin et al., 2011; B. O. Muthén, 2003). To this end, the school violence indicators measured during the first year of the study and demographic background controls were added as predictors to the final five-class GGMA-LV model. The results from these analyses are reported at the bottom of Table 1. The appropriateness of these variables as predictors is confirmed by the fact that their inclusion did not result in any form
of qualitative modification to the GGMA-LV trajectories (Marsh, Lüdtke, et al., 2009; Morin et al., 2011). First, the predictors were allowed to predict latent class membership. The next step was to investigate whether the predictors had effects on the latent trajectories remaining unexplained by their effects on class membership. This was done by estimating additional models in which the predictors were allowed to influence the latent trajectory factors and in which these effects were progressively allowed to vary across classes. The results show that allowing the predictors to influence the trajectories’ intercepts significantly improved the fit of the model ($\text{LRT}_{\text{D}} = 34.530, df = 8, p < .01$), whereas allowing them to also influence the trajectories’ linear ($\text{LRT}_{\text{D}} = 1.321, df = 8, p > .05$) and linear + quadratic ($\text{LRT}_{\text{D}} = 14.288, df = 16, p < .05$) slopes did not. Finally, the results show that allowing the effects of the predictors on the trajectories’ intercepts to vary across latent classes did not improve the fit of the model ($\text{LRT}_{\text{D}} = 20.163, df = 32, p > .05$).

The results from these predictions are reported in Table 3, and the mean levels of the various continuous predictors within each latent trajectory class are illustrated in Figure 5. The results show that most of the predictors present meaningfully differentiated patterns of associations with the latent trajectory classes, except for family demographic characteristics. It should be noted that, although this effect is nonsignificant, Figure 5 shows that the transition-related anxiety class presents a slightly higher level of family instability before the start of the study. Conversely, gender appears to represent an important predictor of class membership (and of the trajectories’ intercepts). Therefore, gender allows a clear differentiation between all classes: Girls make up 27.0% of Class 1 (nonanxious), 77.2% of Class 2 (school-related), 56.3% of Class 3 (high), 54.0% of Class 4 (transition-related), and 45.6% of Class 5 (low). Indeed, gender allows for a clear distinction between both low classes, with the nonanxious class presenting a significantly lower proportion of girls, suggesting that most girls will present at least some level of anxiety during adolescence. Furthermore, the latent trajectory class including the highest proportion of females is the school-related anxiety class, which suggests that girls might be particularly sensitive to the anxiety-generating factors present in secondary schools. Although gender is the sole predictor allowing a direct differentiation between both low classes (low vs. nonanxious) and between both of the high and varying classes (school-related and transition-related), this differentiation was highly significant. In addition, both low classes and both high and varying classes can also be differentiated from each other by the fact that they do not differ in the same manner from the remaining classes, which confirms their meaningfulness.

The facets of school violence that were measured in this study also present a meaningful pattern of associations with the latent trajectory classes. Interestingly, students’ levels of externalizing behaviors in the year prior to the start of the study (measured at Time 1) predict only the intercepts of the latent trajectories as well as membership in the transition-related anxiety class in comparison with the low class. Conversely, students’ levels of externalizing behaviors during the first year of the study (measured at Time 3) predict membership in the school-related anxiety class versus the low, high, and nonanxious classes. Students’ feelings of security at school show a similar pattern of associations with class membership.

\footnote{To verify that the clustering of students within schools did not influence the results, conditional models were also estimated with four dummy variables representing the five schools added to the predictors. These predictors were nonsignificant and their presence did not modify the results.}
### TABLE 3

Results from the Multinomial Logistic and Multiple Regressions Predicting Class Membership and the Intercepts of the Trajectories

#### Vs. C1 (Nonanxious) vs. C5 (Low)

<table>
<thead>
<tr>
<th>Predictor</th>
<th>Coeff. (SE)</th>
<th>OR</th>
<th>Coeff. (SE)</th>
<th>OR</th>
<th>Coeff. (SE)</th>
<th>OR</th>
<th>Coeff. (SE)</th>
<th>OR</th>
</tr>
</thead>
<tbody>
<tr>
<td>Gender</td>
<td>2.93 (0.50)**</td>
<td>18.67</td>
<td>1.51 (0.35)**</td>
<td>4.54</td>
<td>1.77 (0.47)**</td>
<td>5.88</td>
<td>0.77 (0.34)*</td>
<td>2.16</td>
</tr>
<tr>
<td>Family instability</td>
<td>−0.09 (0.13)</td>
<td>0.91</td>
<td>−0.05 (0.08)</td>
<td>0.95</td>
<td>0.09 (0.11)</td>
<td>1.10</td>
<td>0.01 (0.08)</td>
<td>1.01</td>
</tr>
<tr>
<td>Parental education</td>
<td>0.09 (0.11)</td>
<td>1.10</td>
<td>0.04 (0.08)</td>
<td>1.04</td>
<td>0.14 (0.10)</td>
<td>1.15</td>
<td>0.07 (0.06)</td>
<td>1.07</td>
</tr>
<tr>
<td>Ext. behavior (T1)</td>
<td>0.05 (0.04)</td>
<td>1.05</td>
<td>0.04 (0.03)</td>
<td>1.04</td>
<td>0.06 (0.04)</td>
<td>1.06</td>
<td>0.00 (0.04)</td>
<td>1.00</td>
</tr>
<tr>
<td>Ext. behavior (T3)</td>
<td>0.07 (0.03)*</td>
<td>1.07</td>
<td>0.01 (0.03)</td>
<td>1.01</td>
<td>0.02 (0.03)</td>
<td>1.02</td>
<td>0.01 (0.03)</td>
<td>1.01</td>
</tr>
<tr>
<td>Feelings of security</td>
<td>−0.76 (0.26)**</td>
<td>0.47</td>
<td>−0.01 (0.19)</td>
<td>0.99</td>
<td>−0.40 (0.25)</td>
<td>0.67</td>
<td>0.07 (0.21)</td>
<td>1.08</td>
</tr>
<tr>
<td>Victimization</td>
<td>0.10 (0.04)**</td>
<td>1.10</td>
<td>0.08 (0.03)*</td>
<td>1.09</td>
<td>0.10 (0.04)**</td>
<td>1.11</td>
<td>0.01 (0.04)</td>
<td>1.01</td>
</tr>
<tr>
<td>Witnessing</td>
<td>0.00 (0.03)</td>
<td>1.00</td>
<td>0.02 (0.02)</td>
<td>1.02</td>
<td>0.04 (0.02)</td>
<td>1.05</td>
<td>0.00 (0.02)</td>
<td>1.00</td>
</tr>
</tbody>
</table>

#### Vs. C3 (High) vs. C4 (Transition)

<table>
<thead>
<tr>
<th>Predictor</th>
<th>Coeff. (SE)</th>
<th>OR</th>
<th>Coeff. (SE)</th>
<th>OR</th>
</tr>
</thead>
<tbody>
<tr>
<td>Gender</td>
<td>1.42 (0.49)**</td>
<td>4.12</td>
<td>0.26 (0.43)</td>
<td>1.30</td>
</tr>
<tr>
<td>Family instability</td>
<td>−0.04 (0.12)</td>
<td>0.96</td>
<td>0.15 (0.10)</td>
<td>1.16</td>
</tr>
<tr>
<td>Parental education</td>
<td>0.05 (0.10)</td>
<td>1.06</td>
<td>0.10 (0.10)</td>
<td>1.11</td>
</tr>
<tr>
<td>Ext. behavior (T1)</td>
<td>0.01 (0.02)</td>
<td>1.01</td>
<td>0.02 (0.02)</td>
<td>1.02</td>
</tr>
<tr>
<td>Ext. behavior (T3)</td>
<td>0.06 (0.02)*</td>
<td>1.06</td>
<td>0.01 (0.03)</td>
<td>1.01</td>
</tr>
<tr>
<td>Feelings of security</td>
<td>−0.75 (0.23)**</td>
<td>0.47</td>
<td>−0.39 (0.24)</td>
<td>0.68</td>
</tr>
<tr>
<td>Victimization</td>
<td>0.02 (0.02)</td>
<td>1.02</td>
<td>0.02 (0.03)</td>
<td>1.02</td>
</tr>
<tr>
<td>Witnessing</td>
<td>−0.02 (0.03)</td>
<td>0.98</td>
<td>0.03 (0.02)</td>
<td>1.03</td>
</tr>
</tbody>
</table>

#### Intercept

<table>
<thead>
<tr>
<th>Predictor</th>
<th>Coeff. (SE)</th>
<th>OR</th>
</tr>
</thead>
<tbody>
<tr>
<td>Gender</td>
<td>1.16 (0.51)*</td>
<td>3.17</td>
</tr>
<tr>
<td>Family instability</td>
<td>−0.19 (0.14)</td>
<td>0.83</td>
</tr>
<tr>
<td>Parental education</td>
<td>−0.05 (0.12)</td>
<td>0.95</td>
</tr>
<tr>
<td>Ext. behavior (T1)</td>
<td>−0.01 (0.29)</td>
<td>0.99</td>
</tr>
<tr>
<td>Ext. behavior (T3)</td>
<td>−0.04 (0.03)</td>
<td>1.04</td>
</tr>
<tr>
<td>Feelings of security</td>
<td>−0.36 (0.03)</td>
<td>0.70</td>
</tr>
<tr>
<td>Victimization</td>
<td>−0.01 (0.03)</td>
<td>1.00</td>
</tr>
<tr>
<td>Witnessing</td>
<td>−0.04 (0.03)</td>
<td>0.96</td>
</tr>
</tbody>
</table>

Note. C1–C5: latent trajectory Classes 1 to 5; SE = standard error of the coefficient (the coefficient divided by its standard error is equivalent to a \( t \) score and indicates the significance of the effect); OR = odds ratio.

* \( p \leq .05 \). ** \( p \leq .01 \).
These results regarding the school-related anxiety class suggest that aggressive and insecure youths are particularly likely to experience elevated levels of anxiety during the secondary school years. In addition, the results show that their insecurity might be related to victimization, which reliably distinguishes the anxious classes (high, school-related, transition-related) from the low-anxiety classes (low and nonanxious). Finally, students’ feelings of security at school, as well as potentially associated experiences of witnessing school violence (which also predicts the intercepts), differentiate the transition-related anxiety class from the low class. These results suggest that the transition-related anxiety class could be characterized by initially aggressive youths who, on entering secondary school, were exposed to high levels of school violence (as witnesses and victims) while becoming less aggressive, possibly as a way to avoid anxiety-generating violent situations.

Outcomes of the Latent Trajectory Classes

The relationships between the outcomes and the five latent trajectory classes are reported at the top of Table 4. These results confirm the meaningfulness of the extracted solution. The results show that students’ GPAs at the end of the study are significantly lower in the nonanxious class than in the high and low classes. Likewise, the results show that the lowest rates of loneliness are observed in students from the nonanxious class, who present significantly lower levels than those from both the high and transition-related anxiety classes. Interestingly, these results can be partly explained by the greater proportion of boys in the nonanxious class, as girls are known to generally present higher levels of academic achievement (e.g., Freudenthaler, Spinath,
### TABLE 4

Results from the Wald Chi-Square ($\chi^2$) Tests of Mean Equality of the AUXILIARY (e) Analyses of Developmental Outcomes and Covariates Trajectories

<table>
<thead>
<tr>
<th>Class-Specific Means/Proportions</th>
<th>1: N-A</th>
<th>2: S-R</th>
<th>3: H</th>
<th>4: T-R</th>
<th>5: L</th>
</tr>
</thead>
<tbody>
<tr>
<td>1 vs. 2</td>
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<tr>
<td>1 vs. 3</td>
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<td>1 vs. 4</td>
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<td>1 vs. 5</td>
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<tr>
<td>2 vs. 3</td>
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<td>2 vs. 4</td>
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<td>2 vs. 5</td>
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<td>3 vs. 4</td>
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<tr>
<td>3 vs. 5</td>
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<tr>
<td>4 vs. 5</td>
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<table>
<thead>
<tr>
<th>Developmental outcomes</th>
<th>GPA</th>
<th>Dropout</th>
<th>Depression</th>
<th>Loneliness</th>
<th>Drugs</th>
</tr>
</thead>
<tbody>
<tr>
<td>1: N-A</td>
<td>72.415</td>
<td>22.0%</td>
<td>1.669</td>
<td>1.053</td>
<td>4.203</td>
</tr>
<tr>
<td>2: S-R</td>
<td>73.647</td>
<td>33.4%</td>
<td>12.024</td>
<td>1.168</td>
<td>6.658</td>
</tr>
<tr>
<td>3: H</td>
<td>74.697</td>
<td>20.5%</td>
<td>8.447</td>
<td>1.137</td>
<td>5.216</td>
</tr>
<tr>
<td>4: T-R</td>
<td>70.396</td>
<td>35.6%</td>
<td>14.192</td>
<td>1.224</td>
<td>5.428</td>
</tr>
<tr>
<td>5: L</td>
<td>74.978</td>
<td>17.4%</td>
<td>4.616</td>
<td>1.095</td>
<td>4.632</td>
</tr>
</tbody>
</table>

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</tr>
</thead>
<tbody>
<tr>
<td>1: N-A</td>
<td>4.745</td>
<td>0.410</td>
<td>0.048</td>
<td>3.001</td>
<td>0.060</td>
<td>0.020</td>
<td>17.284</td>
<td>0.809</td>
<td>0.044</td>
<td>19.720</td>
<td>1.401</td>
<td>-0.598</td>
<td>74.121</td>
<td>-0.871</td>
<td>-0.048</td>
<td>1.192</td>
<td>-0.118</td>
<td>0.026</td>
<td>3.639</td>
<td>-0.345</td>
</tr>
<tr>
<td>2: S-R</td>
<td>9.129</td>
<td>1.811</td>
<td>-0.113</td>
<td>2.748</td>
<td>0.093</td>
<td>0.016</td>
<td>19.438</td>
<td>0.944</td>
<td>0.044</td>
<td>23.336</td>
<td>2.420</td>
<td>-0.889</td>
<td>6.041</td>
<td>-0.69</td>
<td>0.856</td>
<td>1.320</td>
<td>-0.121</td>
<td>0.022</td>
<td>14.953</td>
<td>-1.115</td>
</tr>
<tr>
<td>3: H</td>
<td>6.041</td>
<td>0.495</td>
<td>0.068</td>
<td>2.957</td>
<td>0.063</td>
<td>0.020</td>
<td>18.402</td>
<td>0.087</td>
<td>0.029</td>
<td>21.412</td>
<td>1.607</td>
<td>-0.664</td>
<td>8.291</td>
<td>0.228</td>
<td>3.02</td>
<td>1.232</td>
<td>-0.123</td>
<td>0.029</td>
<td>8.544</td>
<td>-0.762</td>
</tr>
<tr>
<td>4: T-R</td>
<td>4.643</td>
<td>0.228</td>
<td>0.152</td>
<td>2.660</td>
<td>0.026</td>
<td>0.029</td>
<td>19.341</td>
<td>0.141</td>
<td>0.014</td>
<td>24.845</td>
<td>1.129</td>
<td>-0.611</td>
<td>4.643</td>
<td>0.550</td>
<td>3.02</td>
<td>1.329</td>
<td>-0.123</td>
<td>0.028</td>
<td>12.047</td>
<td>-0.452</td>
</tr>
<tr>
<td>5: L</td>
<td>4.632</td>
<td>0.550</td>
<td>0.064</td>
<td>3.076</td>
<td>0.065</td>
<td>0.019</td>
<td>17.401</td>
<td>0.064</td>
<td>0.008</td>
<td>19.429</td>
<td>1.672</td>
<td>-0.646</td>
<td>4.632</td>
<td>0.52</td>
<td>3.02</td>
<td>1.232</td>
<td>-0.123</td>
<td>0.028</td>
<td>5.742</td>
<td>-0.452</td>
</tr>
</tbody>
</table>

| Note. The pairwise Wald Chi-Square ($\chi^2$) tests of mean equality are based on a single degree of freedom. 1: N-A = nonanxious class (Class 1); 2: S-R = school-related anxiety class (Class 2); 3: H = high anxiety class (Class 3); 4: T-R = transition-related anxiety class (Class 4); 5: L = low anxiety class (Class 5); GPA = grade-point average; LCM = latent curve model; I = intercept factor of the covariate trajectory; S = the linear slope factor of the covariate trajectory; Q = the quadratic slope factor of the covariate trajectory. |

* $p \leq .05$. ** $p \leq .01$. 
& Neubauer, 2008) and sensitivity to social isolation and interpersonal problems (e.g., Cross & Madson, 1997; Feingold, 1994). However, gender cannot be taken as the sole explanation for these results, as the GPA and loneliness levels observed in the school-related anxiety class, which mostly includes girls, do not significantly differ from the levels observed in the other classes. This suggests that high levels of anxiety might partly offset the benefits of being female regarding GPA and dampen girls’ needs for social integration.

Students from the transition-related anxiety class present the lowest GPAs of all at the end of the study and this level is significantly lower than in both the high and low classes. Similarly, students from the school- and transition-related anxiety classes present the highest school dropout rates, which are significantly higher than those observed in both the high and low classes. Students from the school-related anxiety class also present the highest levels of drug-related problems, although they differ significantly only from the low-anxiety class on this outcome. Finally, depression levels differed in most of the latent trajectory classes in a manner that parallels their anxiety levels, confirming the known comorbidity between depression and anxiety (Angold, Costello, & Erkanli, 1999). More precisely, both the school- and transition-related anxiety classes present the highest levels of depression, followed by the high class, then the low class, and finally the nonanxious class.

These results show that for both the school-related and transition-related anxiety classes, something is not going well during the secondary school years. For the transition-related anxiety class, the life transitions appear particularly stressful, and the results suggest that this might be due to the fact that, for members of this class, the end of the secondary school is marked by academic problems, depression, and loneliness. For many of these students (36.5%), we know that the next transition will be marked by dropping out of school, which might represent a highly stressful experience. For the school-related anxiety class, the results are similar but reveal higher levels of drug-related problems near the end of the study, corresponding to the point where their anxiety levels are decreasing. This observation suggests that members of this class might be abusing drugs as a way to treat their anxiety (e.g., Comeau, Stewart, & Loba, 2001). The dulling effects of drugs might also explain why members of this class present lower GPAs and felt lonelier than might be expected on the basis of their gender.

**Associations Between Latent Trajectory Classes and Covariate Trajectories**

Because at least two of the latent trajectory classes present anxiety levels that are marked by important changes over time, a final post-hoc verification of the construct validity of the solution was conducted by testing the associations between the extracted latent classes and the developmental trajectories of the covariates (i.e., predictors and outcomes) used in this study. Once again, the covariates were not directly integrated in the GGMA-LV model due to their large number. To do so would have meant either incorporating the covariates’ trajectories as mixture indicators or treating the covariates as time-varying covariates with class-specific effects. Both options would likely have resulted in entirely different latent trajectory classes. Instead, we estimated traditional LCMs on each covariate (with full-information MLR estimation) and saved the intercept, linear slope, and quadratic slope factors from these models. The latent trajectory classes of anxiety from the final GGMA-LV model were then contrasted on these factor scores with the Mplus AUXILIARY (e) function. For most covariates measures were available at least once a year, allowing the estimation of quadratic trajectories. However,
measures of depression and drug-related problems were available only between the second and last years of the study, resulting in the estimation of linear trajectories with intercepts fixed at the fourth time point (Year 2). Trajectories were not estimated for background controls, which were either time-invariant (gender) or measured only at the beginning of the study (parents’ education, family instability), or for the school dropout measure, which was taken only at the end of the study.

The results from these additional analyses show that the latent trajectory classes of anxiety present meaningful patterns of associations with the covariates’ trajectories, as reported at the bottom of Table 4. For four of the covariates (i.e., witnessing school violence, GPA, loneliness, and drug-related problems), the differences were significant only on the intercepts of the covariates’ trajectories. This suggests that the latent anxiety classes already differed on these covariates at the start of the study and that these differences remained mostly stable over the course of the study. These results nicely complement those from the predictors’ analyses by showing that, although witnessing school violence predicted membership only in the transition-related versus the low-anxiety classes, most latent classes present levels of exposure to this variable that differ in a manner directly related to their level of anxiety. This is consistent with the previously identified direct effect of school violence witnessing on the intercepts of the anxiety trajectories. The results also suggest that the differences between the latent classes in GPA, loneliness, and drug-related problems might have been more pronounced at the start of the study than they were at the end. However, the differences remain consistent with the previously reported results and show that students from the school-related and transition-related anxiety classes already presented lower levels of GPA and higher levels of loneliness and drug-related problems at the start of the study. The remaining three latent classes (nonanxious, low, and high) differ from one another in a manner consistent with previous results, although they all present a more adapted profile than the school-related anxiety and transition-related anxiety classes.

Finally, at least some differences between the latent trajectory classes of anxiety were found on the linear or quadratic slope factors of the trajectories of the remaining four covariates, in addition to multiple intercept differences mostly confirming previous results. To facilitate the interpretation of these differences, the trajectories of these covariates within each of the five latent trajectory classes of anxiety are graphically presented in Figure 6. The differences observed on the intercept factor of the covariates’ trajectories show that the nonanxious and low-anxiety classes present the most adaptive level on these covariates, that the school-related and transition-related anxiety classes present the least adaptive level, and that the high-anxiety class presents an intermediate profile on these covariates. These differences in these intercepts closely replicate the results from the preceding analyses and are not discussed further. Regarding students’ feelings of security, the results show that members of the school-related anxiety class show more pronounced increases over time than those from the transition-related anxiety class, who themselves present a more pronounced U-shape trend over time than members of the low-anxiety class. The results for externalizing behaviors are even more interesting in that they show that students from the school-related anxiety class present the steepest increases over the course of the study, with significantly higher linear slopes than students from the nonanxious, high, and transition-related anxiety classes. In addition, the quadratic slope factor of the externalizing behaviors’ trajectories significantly differs between the school-related and transition-related anxiety classes in a manner that parallels their trajectories of anxiety, with an
inverted U-shape trend in the school-related anxiety class and a U-shape trend in the transition-related anxiety class.

Finally, the results show that the slope factors of the depression and victimization trajectories also differ significantly among many of the latent trajectory classes, becoming more pronounced as initial levels of victimization and depression increase. More precisely, the higher the initial level of depression and victimization, the more pronounced its decrease over time. In addition, victimization trajectories showed a more pronounced quadratic trend in the transition-related anxiety class (the decrease over time in victimization flattens out at the end of the study) than in the nonanxious class.

DISCUSSION

This study is a substantive-methodological synergy aimed at verifying the developmental heterogeneity in the trajectories of anxiety in adolescence, while illustrating the usefulness of GGMA in addressing these issues and providing a practical illustration of the effects of untested invariance assumptions on substantive interpretations. In addition, the construct validity of the extracted latent trajectory classes was investigated by testing their associations with predictors and outcomes.
Methodological Implications: The Substantive Impact of Untested Invariance Assumptions

Methodologically, this study provides an illustration of the impact on substantive interpretations of relying on untested invariance assumptions in GGMA. The results from the GGMA-LV models were compared to the results from LCGA and GGMA-MD models, which are currently the most widely used GGMA parameterizations. Perhaps not surprisingly, the GGMA-LV models provided a better fit to the data than the more restricted models, suggesting that the implicit invariance assumptions of those restricted models were not adequate, or at least not empirically optimal, in this study. However, the observation that the three types of models converged on five-class solutions is surprising and goes against the common belief that when more restricted models fit less than less restricted models, they will tend to result in the overextraction of latent trajectory classes as a way to compensate for unmodeled within-class heterogeneity. The results show that this is not necessarily the case and that retaining a model based on erroneous untested invariance assumptions might rather result in radically different substantive solutions.

Results for the LCGA model suggested that the majority of students (73.5%) presented a persistently low level of anxiety and that two additional latent trajectory classes also presented anxiety levels (low and high) that remained constant over time. This suggests that anxiety (or the absence thereof) is a highly stable phenomenon for 92.5% of the students. In contrast, the GGMA-MD solution suggested that when anxiety symptoms are present, they represent a transient phenomenon, as illustrated by four small classes of students presenting changing levels of anxiety. Yet, this solution also showed the presence of a latent trajectory class including a majority of students (76.8%) presenting very low and constant levels of anxiety. The retained GGMA-LV solution provides a different picture on many levels. First, the observed variability in students’ developmental trajectories seem to be more evenly partitioned into the latent trajectories classes: Whereas the LCGA and GGMA-MD solutions resulted in the extraction of one very large latent class and four very small latent classes, the GGMA-LV resulted in a more even distribution of participants across latent classes. Second, the results revealed that what was previously aggregated into a single latent trajectory class of students presenting persistently low levels of anxiety could in fact be separated into two latent trajectory classes that could be meaningfully distinguished on the basis of some of the covariates (gender, depression, loneliness, and GPA) used in this study. One includes students (19.9%) who never showed any sign of anxiety, whereas the other (39.7%) included students presenting some anxiety symptoms, albeit at very low levels, over the course of the study. These two classes include close to 60% of the sample, which is lower than the 75% suggested by the restricted models. Finally, the GGMA-LV solution revealed that three latent trajectory classes of students present anxiety levels that remain persistently high over the course of the study, in stark contrast with at least the GGMA-MD results, which mostly depicted anxiety as transient. Although two classes presented highly changing levels of anxiety, they remain in the high range over all measurement periods.

These results cast serious doubts on the results from previous studies of anxiety trajectories conducted in child and adolescent populations, which relied on restricted GGMA parameterizations without verifying the validity of these restrictions and implicit invariance assumptions (Côté et al., 2002; Côté et al., 2009; Crocetti et al., 2009; Feng et al., 2008). The fact that
these studies did not address, at least not explicitly, the issue of random starts and the risk of converging on a local maximum (Hipp & Bauer, 2006) exacerbates these problems. This could explain the divergence of results obtained between these studies and this one. But as LCGA and GGMA-MD are the most widely used parameterizations of GGMA models, the results reported here also have wider generalizability. Indeed, the adequacy of these restrictions is unfortunately seldom tested in applied research. This lack of verification often stems from the impression that the resulting “statistical” biases will remain substantively meaningless, or that the additional classes will represent only quantitative variations of the “real” classes and still provide a reasonable approximation of reality. Our results, rather, show that these restricted parameterizations can result in radically different substantive solutions. Thus, we argue that these restrictions should be considered as testable invariance assumptions (e.g., Eid et al., 2003; Meredith, 1993) rather than as distinct models designed to answer different questions. We thus invite researchers—as well as reviewers—to seriously question the use of these restricted parameterizations when the adequacy of their underlying invariance assumptions is not explicitly addressed in the article.

Substantive Implications: The Developmental Trajectories of Anxiety in Adolescence

Hall’s (1904) classical storm and stress conception characterized adolescence as a period of inevitable, but transient, turmoil. This study is clearly not the first to disconfirm this vision of adolescence (Arnett, 1999; Steinberg & Morris, 2001), and shows that a majority of youths possess the necessary resources to face the developmental challenges of adolescence without developing alarming levels of anxiety. Furthermore, the results show that when elevated levels of anxiety are present, as is apparently the case for close to 40% of adolescents, they clearly do not represent a transient phenomenon. This finding is supported by the fact that the observed elevated trajectories remained persistently high over the course of the study and were associated with significantly worse developmental outcomes (lower GPA, school dropout, depression, loneliness, and drug-related problems). Conversely, few students (approximately 20%) go through adolescence without ever presenting any signs of anxiety. The remaining youths (close to 40%) present at least some signs of anxiety over the course of the secondary school years, albeit at very low levels. Could these youths, marked by few developmental problems but still continuously slightly anxious, correspond to what the storm and stress theory characterized as the normative turmoil of adolescence? Interestingly, the results reported here parallel those from previous typological descriptions of behavioral problems in childhood and adolescence (Kamphaus, Huberty, DeStefano, & Petowskey, 1997; Kamphaus, Petowskey, Cody, Rowe, & Huberty, 1999; Morizot & Tremblay, 2002), which depicted (a) a normatively low group, comprising a majority of youths and matching the low class identified here; (b) a small very well-adjusted group, analogous to the nonanxious class identified here; and (c) a larger slightly elevated group, including up to 30% of the youths, similar to the high class identified here.

These results suggest the presence of five different developmental pathways that present meaningful associations with predictors related to students’ exposure to school violence at the beginning of the study, with important developmental outcomes measured at the end of the study, as well as with the trajectories followed by these covariates over time. Although the construct validation process followed in this study is quite extensive, it was designed to show
how comprehensive this process can be, as well as how time-varying covariate associations with GGMA trajectories could be investigated without having to incorporate these variables directly into the model. As emphasized earlier, two of the observed latent trajectories include students who never show signs of anxiety over the course of the study and students who continuously present very low levels of anxiety. The main difference observed between these trajectories is that boys make up an overwhelming 73.0% of the nonanxious one. This suggests that most girls present at least some signs of anxiety over the secondary school years, which is consistent with the results from preceding studies showing higher levels of anxiety in girls compared with boys (Hale et al., 2008, 2009; van Oort et al., 2009). Confirming the meaningfulness of distinguishing these two latent classes, they also differ on some of the outcomes measured in this study, with members of the nonanxious class presenting lower levels of GPA, depression, and loneliness than members of the low class. These results are likely related to the greater proportion of boys in the nonanxious class, as girls are known to present higher levels of depression (Angold & Worthman, 1993; Bebbington, 1996) and GPA (Freudenthaler et al., 2008).

Three of the observed latent trajectory classes present persistently elevated levels of anxiety and in two of them, the levels fluctuate widely over the secondary school years. One of these classes includes students whose initially high levels of anxiety rise to a peak during the secondary school years and fall back to their initial levels by the end of the study. This trajectory includes a majority of girls, which is interesting because girls (a) often start puberty earlier than boys, and thus more often experience puberty and the secondary school transition simultaneously (Angold & Worthman, 1993); and (b) are known to be more sensitive than boys to the effects of some social experiences (Cross & Madson, 1997; Feingold, 1994) that are common in secondary schools, such as academic and social competition and social network disruptions (Eccles, Lord, & Midgley, 1991; Eccles et al., 1993). In addition, the results show that members of this latent class can also be distinguished by their higher levels of externalizing behavior problems over the course of the study, as well as by their elevated levels of victimization and feelings of insecurity. These results are consistent with previous research showing that bullying and victimization might be mutually reinforcing whereby prior bullying behavior might lead to later victimization, and prior victimization might lead to later bullying behavior as victims attempt to defend themselves (e.g., Marsh, Parada, Craven, & Finger, 2004).

Another latent trajectory class includes students whose anxiety levels apparently peak near the school transitions, while remaining elevated in between. Interestingly, this latent trajectory class shows a slightly higher level of family instability and the highest level of externalizing behavior problems before the start of the study. The results suggest that the students from this latent class might be initially aggressive children who, on entering secondary school, were exposed to elevated levels of school violence (as witnesses and victims) while becoming slightly less aggressive, possibly as a way to avoid anxiety-generating violent situations. Interestingly, the trajectories of externalizing behaviors observed in these two latent classes closely mirror their anxiety trajectories.

In both of these elevated and unstable classes, the levels of school dropout, loneliness, drug-related problems, and depression over the course of the study are the highest and GPAs are the lowest. Clearly, something is not going well during the secondary school years for these students. The fact that over a third of the students from these classes will eventually drop out of school confirms previous results showing that internalizing disorders might represent a potentially important predictor of school dropout (Fortin, Royer, Potvin, Marcotte, & Yergeau,
Although members of these two latent trajectory classes present few significant differences from one another (the clearest one being on the trajectories of externalizing behavior problems), they do present differentiated patterns of distinctions from the remaining classes. This shows that the students from the transition-related anxiety class have the lowest levels of GPA and those from the school-related anxiety class have the highest levels of drug-related problems. These results should be put into perspective. Indeed, because girls tend to present higher levels of academic achievement (e.g., Freudenthaler et al., 2008) and lower levels of drug-related problems (e.g., Degenhardt et al., 2008; Robbins, 1989) than boys, the low levels of GPA and elevated levels of drug-related problems observed in the school-related anxiety class are particularly alarming, as girls form 75% of this class. In addition, the normative decrease in depression observed in all students is also significantly reduced in the transition-related anxiety class versus the school-related anxiety class. Thus, although the next transition for a substantial number of students from these two latent trajectory classes will be marked by dropping out of school, which can be a highly stressful experience in itself, this next transition might have a completely different meaning in both latent classes. Indeed, the results hint at the possibility that members of the school-related anxiety class might see school dropout as an opportunity for a new beginning outside of an unpleasant academic experience. Conversely, members of the transition-related anxiety class might see it as a personal failure, which would explain their rising levels of anxiety and more stable levels of depression at the end of the study. Alternatively, students from the school-related anxiety class might be abusing drugs as a way to self-medicate for anxiety (e.g., Comeau et al., 2001), or might be doing so more effectively than students from the transition-related anxiety class, hence being somewhat dulled to the stressfulness of school dropout. Finally, students from the transition-related anxiety class might simply be more sensitive to transitions, possibly as a result of previous negative experiences. Unfortunately, the data did not allow us to test these hypotheses.

A third latent trajectory class includes students presenting moderately elevated levels of anxiety that remain stable over the course of the study. Interestingly, these students present a profile on the covariates that generally falls in between the profiles of students from the nonanxious and low-anxiety classes on the one hand and from the school-related and transition-related anxiety classes on the other hand. In this latent trajectory class, anxiety levels do not fluctuate, thus appearing generally unrelated to the social experiences of secondary schools, and might be due to exposure to more stable risk factors not measured in this study, such as hereditary predispositions or stable family difficulties (e.g., Bögels & Brechman-Toussaint, 2006; Murray, Creswell, & Cooper, 2009). This hypothesis should be more thoroughly investigated in future studies. However, these students present worse developmental outcomes than students from both the persistently low and nonanxious classes and present elevated levels of anxiety. As such, they should clearly be more thoroughly studied and targeted in the context of school-based preventive or curative interventions. These results even suggest that the cutoff scores proposed for the Beck Anxiety Inventory (Beck & Steer, 1993a) might be helpful in identifying these latent classes of students. Indeed, Beck and Steer (1993a) suggested scores of 8 to 15 to identify mild levels of anxiety, which correspond to most students from the constantly high-anxiety class once within-class variability is considered. They also suggest scores of 16 and higher to indicate moderate to severe anxiety, which corresponds to the anxiety levels observed in the school-related and transition-related anxiety classes when their levels start to peak. Without advocating the blind use of cutoff scores as the sole “golden rule” for identifying
these subgroups, we note their potential usefulness as part of a wider assessment package given their consistency with these results.

Limitations and Directions for Future Research

Although great precautions were taken to avoid the problems most commonly associated with GGMA, a number of limitations remain. In our view, the two most serious are related to the sample and the need to expand on the range of models considered in future studies. First, this study relied on a short-term (i.e., 4-year) follow-up of a convenience sample of students following secondary school transition. Although the results from the last measurement point were interpreted as preceding the next transition, one full year remained before the real, “normative,” transition. However, this limitation is somewhat offset by the use of governmental data collected after the end of the study to assess GPA and school dropout. In addition, the attrition rate, albeit consistent with the rates generally reported in similar studies, remains high, and its impact on the generalizability of the results remains unknown. This limitation underscores the need to replicate these findings, and to do so on more diversified and representative samples. Pending their replication, the extracted latent classes remain preliminary, and care should be taken to avoid their reification. Second, although we also attempted to extract models in which the time-specific disturbances were freely estimated in all classes (Enders & Tofighi, 2008), these models failed to converge on proper solutions. Although the extensive verifications that were done allow us to confidently conclude that these models did not provide an adequate representation of the data, this conclusion should be limited to these results, and applied research should systematically test the adequacy and usefulness of this additional invariance assumption.

In addition, we believe that at least two potentially important issues should be addressed in the context of future studies. First, the various information criteria commonly used in mixture modeling to help in choosing the “right” number of classes in the data present a known sample-size dependency. This means that given a large enough sample, they will always converge on the most complex model. Marsh et al. (2005) argued that sample-size dependency is not an appropriate criticism of these indexes in that more information is available when samples are larger. From a statistical perspective, it is thus justified to consider more complex models with larger samples. Nevertheless, this calls into question the assumption that there is a “right” number of groups (also see Marsh, Lüdtke, et al., 2009). Rather, the extracted groups might simply reflect a useful heuristic to describe what happens in a particular sample, underlying the need for replication on more representative samples. Clearly, the selection of the “right” number of groups cannot be based solely on a mechanical application of recommendations about fit indexes. As argued by Marsh, Lüdtke, et al. (2009) and others (Bauer & Curran, 2004; B. O. Muthén, 2003), there will always be a degree of subjectivity and a need for informed, professional judgment. Clearly, this is an area in need of further research and more guidance for applied research.

Second, although anxiety is known to possess state-trait properties (Endler & Kocovski, 2001)—that is stable (trait) and reactive (state) components—this distinction was not taken into account in this study. More precisely, in generic LCMs and GGMA models, only the overall intraindividual trajectories (i.e., the trait component) are estimated without taking into account the sometimes-strong autocorrelations influencing adjacent, state-like time points. More precisely, LCMs and GGMA consider that time-specific deviations from the overall trajectories
represent random “errors” to be controlled rather than substantively meaningful deviations from the generic trajectory. Such deviations might represent state-like “shocks” to the overall trajectories (due to meaningful situation-specific perturbations), which could exert a lasting influence on these trajectories. Such time-specific, state-like relations might even be quite strong or vary across time and thus potentially bias the estimation of the trajectories by causing them to be “absorbed” by the remaining parameters of the model (Sivo, Fan, & Witta, 2005). In this study, the longitudinal design includes widely spaced time points not ideally suited to the study of state-trait models. New developments allowing the incorporation of state and trait components in the context of mixture models have been recently proposed (Courvoisier, Eid, & Nussbeck, 2007) and should clearly be investigated in future studies.

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REFERENCES


APPENDIX

MPLUS INPUT CODES FOR THE MAIN MODELS USED IN THIS STUDY

LCGA Input

TITLE: LCGA
DATA: FILE IS "anx_traj.dat";
VARIABLE:
NAMES ARE CI ANXT1 ANXT3 ANXT4 ANXT5 ANXT6;
IDVARIABLE = CI;
MISSING ARE ALL (999);
USEVARIABLES ARE ANXT1 ANXT3 ANXT4 ANXT5 ANXT6;
CLASSES = c (5);
ANALYSIS:
TYPE = MIXTURE;
STARTS = 1000 100;
LRTBOOTSTRAP = 100;
MODEL:
%OVERALL%
i s q | ANXT1@-1 ANXT3@0 ANXT4@1 ANXT5@2 ANXT6@3;
i@0 s@0 q@0;
OUTPUT:
SAMPSTAT STANDARDIZED RESIDUAL CINTERVAL MODINDICES (3.0);
TECH1 TECH2 TECH3 TECH4 TECH7 TECH11 TECH13 TECH14;

GGMA-MD Input (Model Part Only)

MODEL:
%OVERALL%
i s q | ANXT1@-1 ANXT3@0 ANXT4@1 ANXT5@2 ANXT6@3;

GGMA-LV Input (with Predictors and Outcomes)

TITLE: GGMA-LV
DATA: FILE IS "anx_traj.dat";
VARIABLE:
NAMES ARE CI SEX FAM SES ANXT1 ANXT3 ANXT4 ANXT5 ANXT6
FEELS1 EB1 EB3 VICT1 WITN1 GPAF DRUGF DEPF LONEF DROPF;
IDVARIABLE = CI;
MISSING ARE ALL (999);
USEVARIABLES ARE SEX FAM SES ANXT1 ANXT3 ANXT4 ANXT5 ANXT6
FEELS1 EB1 EB3 VICT1 WITN1;
AUXILIARY = GPAF (e) DRUGF (e) DEPF (e) LONEF (e) DROPF (e);
CLASSES = c (5);
ANALYSIS:
TYPE = MIXTURE; STARTS = 1000 100; LRTBOOTSTRAP = 100;
MODEL:
%OVERALL%
c#1-c#4 ON SEX FAM SES FEELSE EB1 EB3 VICT1 WITN1;
i s q | ANXT1@-1 ANXT3@0 ANXT4@1 ANXT5@2 ANXT6@3;
q@0;
I ON SEX FAM SES FEELSE EB1 EB3 VICT1 WITN1;
%c#1%
i s; i WITH s; [I S Q]; i@0; s@0;
%c#2% ! Use same specifications for %c#3%, %c#3%, and %c#5%
i s; i WITH s; [I S Q];
OUTPUT:
SAMPSTAT STANDARDIZED RESIDUAL CINTERVAL MODINDICES (3.0);
TECH1 TECH2 TECH3 TECH4 TECH7 TECH11 TECH13 TECH14;